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ANSYS.

ANSYS

1. Wilkins D. J., Bert C. W., Egle D. M. Free vibrations of orthotropic sandwich conical shells with various boundary conditions. *Journal of Sound and Vibration*. 1970. 13. V. P. 211–228. [https://doi.org/10.1016/S0022-460X\(70\)81175-0](https://doi.org/10.1016/S0022-460X(70)81175-0)
2. Kanematsu H. H., Hirano Y. Bending and vibration of CFRP – faced rectangular sandwich plates. *Composite Structures*. 1988. V. 10. P. 145–163. [https://doi.org/10.1016/0263-8223\(88\)90044-X](https://doi.org/10.1016/0263-8223(88)90044-X)
3. Lee L. J., Fan Y. J. Bending and vibration analysis of composite sandwich plates. *Composite Structures*. 1996. V. 60. P. 103–112. [https://doi.org/10.1016/0045-7949\(95\)00357-6](https://doi.org/10.1016/0045-7949(95)00357-6)
4. Frostig Y., Baruch M., Vilnay O., Sheinman I. High-order theory for sandwich beam with transversely flexible core. *ASCE Journal of Engineering Mechanics*. 1992. V. 118 (5). P. 1026–1043. [https://doi.org/10.1061/\(ASCE\)0733-9399\(1992\)118:5\(1026\)](https://doi.org/10.1061/(ASCE)0733-9399(1992)118:5(1026))
5. Frostig Y., Thomsen O. T. High-order free vibration of sandwich panels with a flexible core. *International Journal of Solids and Structures*. 2004. V. 41. P. 1697–1724. <https://doi.org/10.1016/j.ijsolstr.2003.09.051>
6. Frostig Y., Thomsen O. T. On the free vibration of sandwich panels with a transversely flexible and temperature-dependent core material – Part I: Mathematical formulation. *Composites Science and Technology*. 2009. V. 69. P. 856–862. <https://doi.org/10.1016/j.compscitech.2008.03.003>
7. Yu S. D., Cleghorn W. L. Free flexural vibration analysis of symmetric honeycomb panels. *Journal of Sound and Vibration*. 2005. V. 284. P. 189–204. <https://doi.org/10.1016/j.jsv.2004.06.028>
8. Malekzadeh K., Khalili M. R., Mittal R. K. Local and global damped vibrations of plates with a viscoelastic soft flexible core: An improved high-order approach. *Journal of Sandwich Structures and Materials*. 2005. V. 7. P. 431–456. <https://doi.org/10.1177/1099636205053748>
9. Yongqiang L., Zhiqiang J. Free flexural vibration analysis of symmetric rectangular honeycomb panels with SCSC edge supports. *Composite Structures*. 2008. V. 83. P. 154–158. <https://doi.org/10.1016/j.compstruct.2007.04.004>
10. Kheirikhah M. M., Khalili S. M. R., Fard K. M. Biaxial buckling analysis of soft-core composite sandwich plates using improved high-order theory. *European Journal of Mechanics A/Solids*. 2012. V. 31. P. 54–66. <https://doi.org/10.1016/j.euromechsol.2011.07.003>
11. Ramian A., Jafari-Talookolaei R.-A., Valvo P. S., Abedi M. Free vibration analysis of sandwich plates with compressible core in contact with fluid. *Thin-Walled Structures*. 2020. V. 157. Paper No. 107088. <https://doi.org/10.1016/j.tws.2020.107088>

12. Li Y., Yao W., Wang T. Free flexural vibration of thin-walled honeycomb sandwich cylindrical shells. Thin-Walled Structures. 2020. V. 157. Paper No. 107032. <https://doi.org/10.1016/j.tws.2020.107032>
13. , 1991. 176 .
14. / : , 2017. 492 .
15. 2021. 2. . 100–106. <https://doi.org/10.15407/itm2021.02.100>
16. Catapano A., Montemurro M. A multi-scale approach for the optimum design of sandwich plates with honeycomb core. Part I: homogenisation of core properties. Composite Structures. 2014. V. 118. P. 664–676. <https://doi.org/10.1016/j.compstruct.2014.07.057>
17. Grediac M. A finite element study of the transverse shear in honeycomb cores. International Journal of Solids and Structures. 1993. V. 30, No 13, . 1777–1788. [https://doi.org/10.1016/0020-7683\(93\)90233-W](https://doi.org/10.1016/0020-7683(93)90233-W)
18. Jones R. M. Mechanics of composite materials. CRC Press. 1998. 538 p.
19. Ramian A., Jafari-Talookolaei R.-A., Valvo P. S., Abedi M. Free vibration analysis of sandwich plates with compressible core in contact with fluid. Thin-Walled Structures. 2020. 157. Paper No. 107088. <https://doi.org/10.1016/j.tws.2020.107088>
20. Reddy J. N. A simple higher-order theory for laminated composite plates. ASME Journal of Applied Mechanics. 1984. V. 51. P. 745–752. <https://doi.org/10.1115/1.3167719>
21. Reddy J. N. A refined nonlinear theory of plates with transverse shear deformation. International Journal of Solids and Structures. 1984. V. 20, No. 9/10. P. 881–896. [https://doi.org/10.1016/0020-7683\(84\)90056-8](https://doi.org/10.1016/0020-7683(84)90056-8)
22. B. B. : 1948. 211 .
23. Meirovitch L. Elements of Vibration Analysis. McGraw-Hill, New York. 1998. 560 p.
24. Chernobryvko M. V., Avramov K. V., Romanenko V. N., Batutina T. J., Tonkonogenko A. M. Free linear vibrations of thin axisymmetric parabolic shells. Meccanica. 2014. V. 49, 12. P. 2839–2845. <https://doi.org/10.1007/s11012-014-0027-6>
25. Parker T. S., Chua L. O. Practical numerical algorithms for chaotic systems. New York: Springer-Verlag. 1989. 348 p. <https://doi.org/10.1007/978-1-4612-3486-9>
26. Seydel R. Tutorial on continuation. International Journal of Bifurcation and Chaos. 1991. V. 1. P. 3–11. <https://doi.org/10.1142/S0218127491000026>
27. Seydel R. Nonlinear computation. International Journal of Bifurcation and Chaos. 1997. V. 7. P. 2105–2126. <https://doi.org/10.1142/S0218127497001564>
28. Avramov K., Raimberdiyev T. Bifurcations behavior of bending vibrations of beams with two breathing cracks. Engineering Fracture Mechanics. 2017. V. 178. P. 22–38. <https://doi.org/10.1016/j.engfracmech.2017.04.006>
29. Hohe J., Becker W. Effective stress-strain relations for two-dimensional cellular sandwich cores: Homogenization, material models, and properties. Applied Mechanics Reviewer. 2002. V. 5, No. 1. P. 61–87. <https://doi.org/10.1115/1.1425394>
30. Burton W. S., Noor A. K. Assessment of continuum models for sandwich panel honeycomb cores. Computer Methods in Applied Mechanics and Engineering. 1997. V. 145. P. 341–360. [https://doi.org/10.1016/S0045-7825\(96\)01196-6](https://doi.org/10.1016/S0045-7825(96)01196-6)
31. Avramov K. Bifurcations of parametric oscillations of beams with three equilibrium. Acta Mechanica. 2003. V. 164. P. 115–138. <https://doi.org/10.1007/s00707-003-0022-9>
32. Avramov K. Nonlinear beam oscillations excited by lateral force at combination resonance. Journal of Sound and Vibration. 2002. V. 257. P. 337–359. <https://doi.org/10.1006/jsvi.2002.5043>
33. Amabili M. Nonlinear Vibrations and Stability of Shells and Plates. Cambridge University Press, New York. 2008. 390 p. <https://doi.org/10.1017/CBO9780511619694>

21.04.2021,
24.11.2021