

1520

1520

Rail incidents take place throughout the world. Constant improvement of precautions does not alleviate problems of safe traffic. Because of this, the development and creation of railway new-generation vehicles with efficient systems of passive safety are notable problems in management of the high-speed traffic of passenger cars. Mathematical modelling dynamic loading of the passenger car equipped with energy-absorbing devices at ultra-normal collisions allows estimation of designs at the stage of the design and conduction of numerical experiments without high capital expenses. An emergency collision on a railway with 1520 mm gauge is simulated by the computer. It is shown that it is essential to equip a locomotive and cars with energy-absorbing devices for safety of the locomotive crew and passengers and a lowering level of vehicles accelerations and longitudinal compressing forces in intercar coupling at an emergency collision between the train and an obstacle. To simulate numerically test collision scenarios for the passenger train and an obstacle, cars of which are equipped with movable gapless couplers, a mathematical model for dynamics of the train at an ultra-normal collision is improved by describing a force characteristic of the intercar coupling, taking into account an initial tightening absorbing devices, function of the gapless coupler and the vehicle design as well as devices of the passenger safety system. An improved mathematical model can be used for a numerical simulation of test scenarios of a collision between a new-generation passenger train and an obstacle in order to develop out the passive safety system.

[1-3].

[4],

(3,35 - 4,2)

7 8 .

3 4,7 ,

[4].

1520 .

20-
3

16 / ,

7,

-70

30 / [5].

3

16 /
7

3,6 3,1

4,1 g 3,8 g.

5 g.

0,09 , - 0,06 .

-70 20-

-70

30 /

6,0

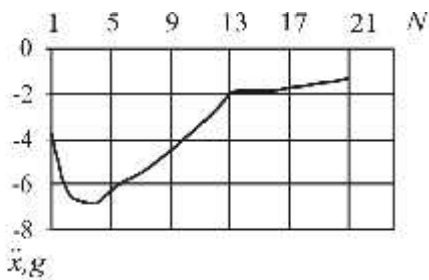
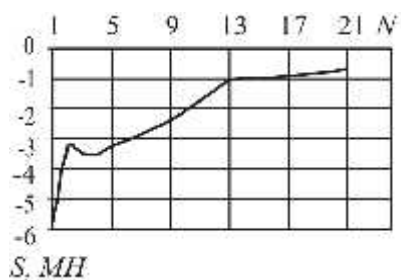
3

5g.

.1

(.1),

(.1).



)

)

.1

0,50 ,

-0,12 .

-70 [6].

20 / ,

EN 15227:2008

() [7].

()

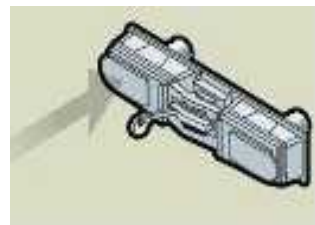
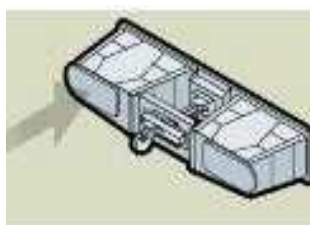
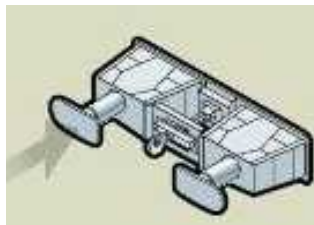
()

Prima II

Alstom [8].

.2

Prima II,



.2

36 /

Prima II

Prima II
36 / [9].

80 [10]. .3

()

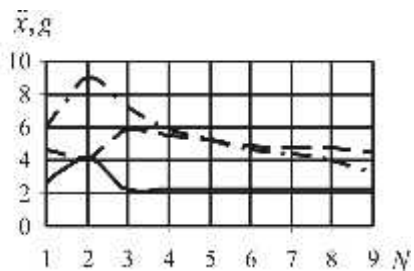
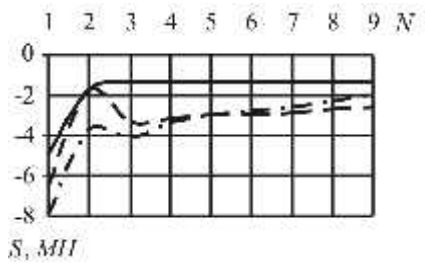
;

500);

1000 500

).

-2,



--- ;
 - - - 500 ;
 ——— 1000

1000 500
 .3

3,

-3

-3,

[11].

-3

[12].

(,)

(.4) [13].

-3,

[14].

[15].



)
)-
)-

)

;

.4

1520

-3

push-back coupler [16].

[10, 17]

$$S_i(t) = S_i^*(qf_i(t)) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)),$$

$$qf_i(t) = |q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)|;$$

$$S_i^*(t) = \begin{cases} 0 < qf_i(t) \leq \Delta_{ai} : \\ \quad \dot{q}_i(t) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)) > 0 \\ S_{ki}(t), \quad S_{hi}(t) \leq S_{oi}^H \\ \min\{S_{hi}(t), S_{ki}(t)\}; \\ \quad \dot{q}_i(t) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)) \leq 0 \\ S_{ki}(t), \quad S_{pi}(t) \leq S_{oi}^P \\ \max\{S_{pi}(t), S_{ki}(t)\}; \\ qf_i(t) > \Delta_{ai} : \\ S_{ki}(t), \quad qf_i(t) \leq \Delta_{pi}; \\ 0, \quad \Delta_{pi} < qf_i(t) \leq \Delta_{oi}; \\ \min\{S_{1i}(t), S_{ki}(t)\}, \quad \Delta_{oi} < qf_i(t) \leq \Delta_{1i}; \\ \min\{S_{2i}(t), S_{ki}(t)\}, \quad \Delta_{1i} < qf_i(t) \leq \Delta_{2i}; \\ \min\{S_{3i}(t), S_{ki}(t)\}, \quad \Delta_{2i} < qf_i(t) \leq \Delta_{\max}; \\ qf_i(t) > \Delta_{\max} : \\ S_{ki}(t), \\ S_{ki}(t) - \beta_i \dot{q}_i(t) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)) < S_{si}(t-h); \\ S_{si}(t), \\ S_{ki}(t) - \beta_i \dot{q}_i(t) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)) \geq S_{si}(t-h); \end{cases}$$

$$q_i(t), \dot{q}_i(t) - \quad \quad \quad ; t - \quad \quad \quad ; h - \quad \quad \quad (i-1)-$$

$$i - \quad \quad \quad ; \xi_i^* - \quad \quad \quad ; \xi_i - \quad \quad \quad -$$

$$i - \quad \quad \quad ; \Delta_{ai} - \quad \quad \quad -$$

$$S_{0i}^H, S_{0i}^P - \quad \quad \quad ; S_{Hi}(t), S_{Pi}(t) - \quad \quad \quad -$$

$$i - \quad \quad \quad ; \quad \quad \quad -$$

$$S_{Hi}(t) = \begin{cases} k_{Hi}^1 qf_i(t), & qf_i(t) \leq d_{1i}; \\ k_{Hi}^1 d_{1i} + k_{Hi}^2 (qf_i(t) - d_{1i}), & d_{1i} < qf_i(t); \end{cases}$$

$$S_{Pi}(t) = (1 - \eta_i) S_{Hi}(t);$$

$$k_{Hi}^1, k_{Hi}^2 - \quad \quad \quad i - \quad \quad \quad ,$$

$$; d_{1i} - \quad \quad \quad i - \quad \quad \quad -$$

$$; \eta_i - \quad \quad \quad -$$

$$i - \quad \quad \quad ; S_{ki}(t) - \quad \quad \quad ,$$

$$i - \quad \quad \quad ;$$

$$S_{ki}(t) = \tilde{S}_i(t-h) + [k_{ki}(q_i(t) - q_i(t-h)) + \beta_i \dot{q}_i(t)] \times$$

$$\times \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h));$$

$$\tilde{S}_i(t-h) = \begin{cases} 0, & S_i^*(t-h) = 0; \\ S_{Hi}(t-h) \vee S_{Pi}(t-h), & S_i^*(t-h) = S_{Hi}(t-h) \vee S_{Pi}(t-h); \\ S_{1i}(t-h), & S_i^*(t-h) = S_{1i}(t-h); \\ S_{2i}(t-h), & S_i^*(t-h) = S_{2i}(t-h); \\ S_{3i}(t-h), & S_i^*(t-h) = S_{3i}(t-h); \\ S_{ki}(t-h) - \beta_i \dot{q}_i(t-h) \text{sign}(q_i(t-h) - \xi_i^*(t-h) - \xi_i(t-2h)), & \\ S_i^*(t-h) = S_{ki}(t-h); \\ S_{si}(t-h), & S_i^*(t-h) = S_{si}(t-h); \end{cases}$$

$$S_{1i}(t) = S_i^*(t-h) + k_{1i}(q_i(t) - q_i(t-h));$$

$$S_{2i}(t) = S_i^*(t-h) + k_{2i}(q_i(t) - q_i(t-h));$$

$$S_{3i}(t) = S_i^*(t-h) + k_{3i}(q_i(t) - q_i(t-h));$$

$$\xi_i^*(t) = \xi_{1i}^*(t) + \xi_{2i}^*(t) + \xi_{3i}^*(t);$$

$$\xi_{1i}^*(t) = \xi_{1i}^*(t-h) + \frac{S_{1i}(t) - S_{1i}(t-h)}{k_{1i}};$$

$$\xi_{2i}^*(t) = \xi_{2i}^*(t-h) + \frac{S_{2i}(t) - S_{2i}(t-h)}{k_{2i}};$$

$$\xi_{3i}^*(t) = \xi_{3i}^*(t-h) + \frac{S_{3i}(t) - S_{3i}(t-h)}{k_{3i}};$$

$k_{ki} -$

$\beta_i -$

;

$$\Delta_{pi} = \Delta_{ai} + \frac{S_{npi} - S_{ai}}{k_{ki}}; \Delta_{0i} = \Delta_{pi} + dz_{0i}; \quad \Delta_{1i} = \Delta_{0i} + dz_{1i};$$

$$\Delta_{2i} = \Delta_{1i} + dz_{2i}; \quad \Delta_{maxi} = \Delta_{2i} + dz_{3i};$$

$S_{npi} -$

;

$dz_{0i} -$

;

$k_{1i}, k_{2i}, k_{3i} -$

;

$dz_{1i}, dz_{2i}, dz_{3i} -$

;

$S_{si}^0 -$

;

$S_{si}(t) -$

$i-$

;

$$S_{si}(t) = \begin{cases} S_{si}^0, \\ \xi_i(t) = 0; \\ S_{si}(t-h) + \\ + \frac{k_{nn}}{k_{ki}} [S_{ki}(t) - \beta_i \dot{q}_i(t) \text{sign}(q_i(t) - \xi_i^*(t-h) - \xi_i(t-h)) - S_{si}(t-h)]; \end{cases}$$

$$\xi_j(t) = \xi_j(t-h) + (S_{sj}(t) - S_{sj}(t-h))(1/k_{nn} - 1/k_{ki}) \times$$

$$\times \text{sign}(q_j(t) - \xi_j^*(t-h) - \xi_j(t-h));$$

$$k_{nn} -$$

1. / . . . // - 1973. -
. 152. - . 3 - 43.
2. (. . . .) / ,
. , 1982. - 222 .
3. - , 2010. - 215 .
4. / . . . // : -
. - 1977. - . 195/24. - . 21 - 24.
5. / , . . . //
. - 2011. - 2. - . 16 - 18.
6. 32 - :
<http://af1461.livejournal.com/254061.html>.
7. EN 15227:2008 Railway applications – Crashworthiness requirements for railway vehicle bodies. – Brussel :
European committee for standardization, 2008. – 37 p.
8. Prima II – // - 2010. - 12. - . 17 - 25.
9. / , . . . // - 2012. -
1. - . 3 - 8.
10. -
/ , , , . . . // -
. - 2013. - 4. - . 84 - 96.
11. / ,
. - -1, 2004. - 198 .
12. 1520 : [. . . . “ ” 2740
20.12.2011 .] / “ ” “ ”, - : “ ”, 2011. - 16 c.
13. // - 2002. - 6. - . 5 - 11.
14. / ,
. . . . // - 2011. -
4 (158), 2. - . 46 - 49.
15. -
// - 2011. - 7. - . 14 - 18.
16. Llana P. Preliminary development of locomotive crashworthy components / P. Llana, R. Stringfellow // Pro-
ceedings of the ASME/ASCE/IEEE 2011 Joint Rail Conference JRC2011, March 16 – 18 2011. – Pueblo,
Colorado, USA. – 2011. – P. 11 – 20.
17. -
/ , // , 2013. - 1(43). - . 154 - 160.

15.10.14,
07.11.14.