

The flow around high-speed vehicle near the track structure was calculated using the three-dimensional Reynolds averaged Navier–Stokes equations. For the turbulence simulation the SST model was used. The finite volume method was used for the numerical solution of the RANS equations. The distributions of the pressure and the coefficient of friction as well as limiting surface streamlines on surfaces of the vehicle body are presented. The 3D flow structure is visualized. The system of two transverse and two longitudinal, counter-rotating vortices is observed in the flow behind the body. The influence of the angle of setting and the distance to the track structure on aerodynamic characteristics of the high-speed vehicle is analyzed.



$$\begin{split} & \iiint_{V} \frac{\partial q}{\partial t} dV + \iint_{S} (F - F_{v}) \cdot \overline{n} dS = \iiint_{V} H dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} (F - F_{v}) \cdot \overline{n} dS = \iiint_{V} H dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{S} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{V} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV + \prod_{V} \frac{\partial q}{\partial t} dV \, . \\ & \prod_{V} \frac{\partial q}{\partial t} dV$$

. .

-

•

_

$$u, v, w - x, y, z;$$

$$p_{t} = p + p_{k}; ..., p, e, k, S - , ,$$

$$;$$

$$p_{k} - , ;$$

$$U_{n} = n_{x}u + n_{y}v + n_{z}w - ; \overline{n} - ;$$

$$f_{2v} = \sim \left(u_{n} + \frac{1}{3}n_{x}U_{n}\right); \quad f_{3v} = \sim \left(v_{n} + \frac{1}{3}n_{y}U_{n}\right); \quad f_{4v} = \sim \left(w_{n} + \frac{1}{3}n_{z}U_{n}\right);$$

$$f_{5v} = \frac{3}{\Pr(x - 1)} \left(a^{2}\right)_{n} + \frac{\sim}{2} \left(u^{2} + v^{2} + w^{2}\right)_{n} + \frac{\sim}{3} UU_{n}; \sim, 3 - ;$$

$$; \sim_{k}, \sim_{S}, H_{k}, H_{S} - .$$

p = p(V, ...), $v = \frac{e}{...} - \frac{1}{2} \left(u^2 + v^2 + w^2 \right).$

76

V -



•

. 2, , , , , ,









. 4

)

78

. 5 . 6

. 5,

 $(C_p = 1) ($. 7),

. 6.



= -0,8

79















.10.



80

z = 0

$$(=0,2)$$
 $(=0,5; 0,8)$
 $5-8 / (=13).$

: $C_x = 0.312989; \quad C_y = -0.112034;$ $C_z = 2.54027 \times 10^{-5}; \quad m_x = 0.003437; \quad m_y = 1.7 \times 10^{-7}; \quad m_z = -0.084545.$ $0 \quad 2.5 \quad -0.025$

$$h = 0.013$$
 , $H -$
, $\text{Re} = 2 \times 10^8$.

=0,05° . 11 , , 10 ⁻² –

.11 .



. 11

(.5, 6, 11),





 m_z .

81

•

= 0,1°) (m_z . _ . C = 0,1°

= 0,05°

= 0,05°.

0,302

0,318.

•

0,7°,



0,05

0,00 -0,05 0

. 12

 m_z , m_z 0,1

)

0,2

0,3

h



-0,20

-0,25

•

)





,



. ,

- .

,

.

-

-

83

 $r > 0,6^{\circ}$

 m_z ,

m_z .

- 1. / . . ,2001.-480 . : . – . . 2. Computational and wind tunnel experiment in high-speed ground vehicle aerodynamics / O. A. Prykhodko, A. B. Sohatsky, O. B. Polevoy, A. V. Mendriy // Proceedings of 19th International Conference on Magnetically
- Levitated Systems and Linear Drives. 2006. N 118. 10 pp. Minguez M. L. High-order large-eddy simulation of flow over the "Ahmed body" car model / M. L. Minguez, R. Pasquetti, E. Serre // Physics of fluids. – 2008. – V. 20, 095101. – 17 pp.
- 4.
- . . : , 2003. – 380 .
- 5. Menter F. R. Two-equation eddy-viscosity turbulence models for engineering applications / F. R. Menter // AIAA Journal. - 1994. - V. 32(8). - P. 1598 - 1605.

,

,

10.11.14, 09.12.14

.

/ . .