





2-3 ( )

1.

( , , , , .)

80- (NASA ) (ESA)

1996 ., 1998 . [5]. 2019 . ( )

2- : PRICE-H, TRANSCOST, USCM, SSCM, UnSVC, FAST, SATCAV, NAFCOM, TRASIM, CEDRE, RACE Model, TIW-Q,D, ECOS, ACES . [5] - [10].

2-5 (Parametric) ( , )

, NASA ( )

" ")

2.

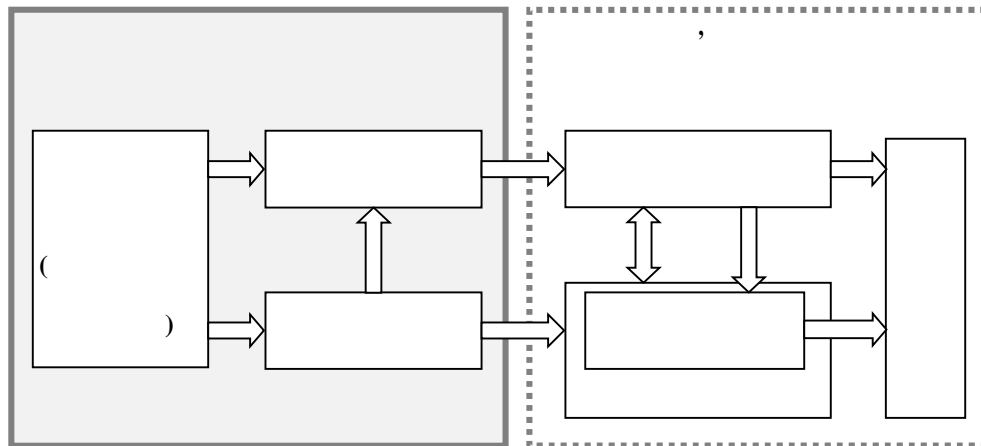
- ( ) ;

- ( ) ;

- ;

-

ESA) . 1. ( NASA



-

. 1 -

(VM)

(ID) (REZ)

(AIO).

:

$$VM : \{ID\} \xrightarrow{AIO} \{REZ\}$$

3.



( ) [11]. ( )

$$= A \times G_k \times K \times \times ,$$

A - ( 1 );  $G_k$  - ;  
 ( );  $K$  - ;

(  $G_k, K$  ).

[11] (  $K$  )

$K$   $G_k$  1  $A$  -

### 3.1

( ) " " :  
 = {  $(\tilde{0})$ ;  
 $(\tilde{1})$ ;  $(\tilde{2})$ ;  
 $(\tilde{3})$ ;  $(\tilde{4})$ ;  
 $(\tilde{5})$ ;  $(\tilde{6})$ ;  
 $(\tilde{7})$  } . " ~ "

( % )

$$\mu_{\sim}(x)$$

$$X = [0;100],$$

$$[0;100].$$

[14],

$$\mu_{\sim}(x) = [a, m, n, b](x) = \begin{cases} 0, & x < a \\ \frac{x-a}{m-a}, & a \leq x \leq m \\ 1, & m < x < n \\ \frac{b-x}{b-n}, & n \leq x \leq b \\ 0, & x > b \end{cases}$$

$$\sim \subset X = [0;100], \quad = \overline{1,7}.$$

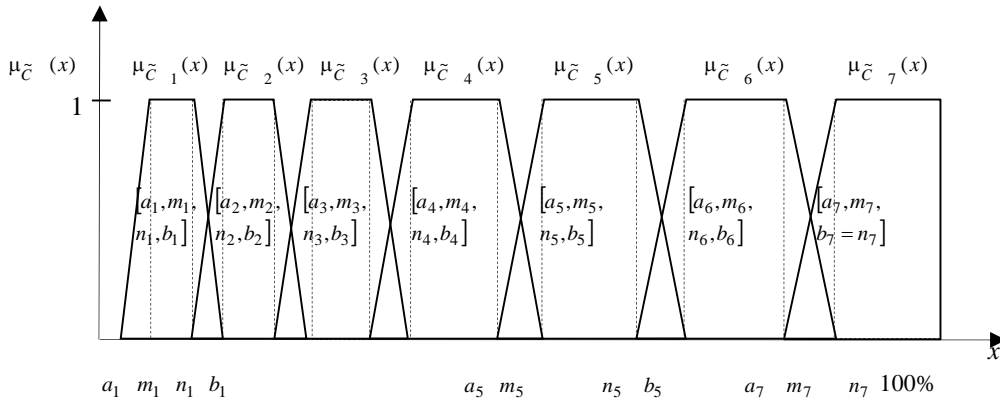
$$: n_{k-1} = a_k, \quad b_{k-1} = m_k \quad (k = \overline{2,7})$$

$$b_7 = n_7,$$

$$\mu_{\sim_7}(x)$$

$$\frac{b_7 - x}{b_7 - n_7}$$

. 2.



$$\mu_{\tilde{C}_0}(x=0) = 1; \quad \mu_{\tilde{C}_0}(x>0) = 0$$

. 2 -

$$[a, m, n, b].$$

$$(m, n)$$

C,

1

( % )

[13].

(C)

C

100 %.





$$\mu_{\tilde{K}_H}(y) = \mu_{\tilde{C}}(f^{-1}(y)).$$

$$\tilde{K}(\tilde{C}) = f(\tilde{C}) = f\left(\int_{x \in X} \mu_{\tilde{C}}(x)/x\right) = \int_{y \in Y} \mu_{\tilde{C}}(f^{-1}(y))/y. \quad (4)$$

$$\int \mu_{\tilde{C}}(x) \mu_{\tilde{K}_H}(y) \alpha$$

(6)-(15)  $\tilde{K}$   $\alpha$   $\mu_{\tilde{C}}(x)$   $\mu_{\tilde{K}_H}(y)$   $\alpha$

$$K = defz(\tilde{K}) = \frac{\int_{y_{\min}}^{y_{\max}} y \cdot \mu_{\tilde{K}}(y) dy}{\int_{y_{\min}}^{y_{\max}} \mu_{\tilde{K}}(y) dy} = \frac{b^{*2} - a^{*2} + n^{*2} - m^{*2} + b^* \cdot n^* - a^* \cdot m^*}{(b^* - a^* + n^* - m^*)}$$

$$\gamma^* = \exp(\alpha(\gamma - C^\alpha) \cdot 10^{-2}), \quad \gamma = \{a, m, n, b\},$$

$$\gamma^* = \{a^*, m^*, n^*, b^*\}, \quad \{a, m, n, b\} \xrightarrow{f} \{a^*, m^*, n^*, b^*\}.$$

∫

### 3.2.

[13]

$$\left(\frac{1 - \binom{(a)}{(\ )}}{1 - \binom{(a)}{(\ )}}\right)^\beta$$

$$\binom{(a)}{(\ )} \leq 0,99, \quad \binom{(a)}{(\ )} \leq \binom{(a)}{(\ )}.$$

$$\binom{(a)}{(\ )} = \varphi(\beta), \quad (5)$$

2

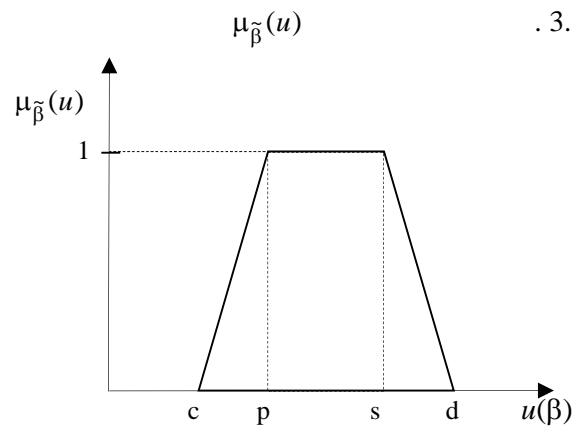
$$\mu_{\tilde{C}}(x) \mu_{\tilde{\beta}}(u) \quad (\text{defz})$$

( )

( ) ( <sup>(a)</sup> ) -  
 (5)  $\beta$   
 $[c, p, s, d]$ .  $c, p, s, d$   
 $c, p, s, d$   
 ( ) ( <sup>(a)</sup> )

$$\mu_{\tilde{\beta}}(u) = [c, p, s, d](u) = \begin{cases} 0, & u < c \\ \frac{u-c}{p-c}, & c \leq u \leq p \\ 1, & p < u < s \\ \frac{d-u}{d-s}, & s \leq u \leq d \\ 0, & u > d \end{cases}$$

$$\tilde{\beta} \subseteq U = [0; \beta_{\max}], \quad \beta_{\max} < 2, \quad [13].$$



. 3 -

$\tilde{\beta}$

$\varphi$   $U$   $V$  :

$$\varphi : u \longrightarrow V ; V = [\varphi(c), \varphi(d)].$$

[14]

$$\mu_{\tilde{K}}(v) = \mu_{\tilde{\beta}}(u) = \mu_{\tilde{\beta}}(\varphi^{-1}(v)).$$

$$\tilde{K}(v) = \varphi(\tilde{\beta}) = \int_{v \in V} \mu_{\tilde{\beta}}(\varphi^{-1}(v)) / v.$$

$$K(C) = \text{def}_z(\tilde{K}) = \frac{d^{*2} - c^{*2} + s^{*2} - p^{*2} + d^* \cdot s^* - c^* \cdot p^*}{(d^* - c^* + s^* - p^*)}$$

$$g^* = \left( \frac{1 - K^{(a)}(\cdot)}{1 - K(C)} \right)^g, \quad g = \{c, p, s, d\},$$

$$g^* = \{c^*, p^*, s^*, d^*\}, \quad \{c, p, s, d\} \xrightarrow{\varphi} \{c^*, p^*, s^*, d^*\}.$$

### 3.3

$Gz(V, D),$   
 $(V - \dots, D - \dots),$   
 $Ge(E, W),$   
 $(E - \dots, W - \dots).$

2.711-82  
 $Gz(V, D),$   
 $(\dots),$   
 $(\dots),$   
 $(\dots)$  (NDO).

$(\dots, \dots, \dots)$   
 $(\dots, \dots, \dots).$

$Gz(V, D) \quad V_0$   
 $(\dots \quad C_0).$

$(V_0) \quad V_i \quad (C_i),$   
 $V_{ij} - (C_{ij}), \quad V_{ijk} -$   
 $(C_{ijk})$

$Gz(V, D) \quad V_0$   
 $- \quad V_l (\dots, \dots).$

$Ge(E, W).$   
 $(\dots)$

$E_0$   
 $E_0) \quad E_m \quad :$   
 $, \dots,$

$E_{mn} \quad :$   
 $, \dots,$

$E_{mnp}$  : -  
 $E_{mnpr}$  : -  
 $Ge(E,W)$  : -  
 $V_0$  : -  
 $V_i$  : -  
 $A(a_{ij})_{N \times (N-1)}$  [12],  $N -$  : -  
 $Gz(V,D)$  : -  
 $V_0,$  : -  
 $Gzb(V,D)$  ( : -  
"; - " : -  
( : -  
); : -  
; : -  
 $A(a_{ij})_{N \times (N-1)}$  : -  
 $i, j, k, l, \dots,$  : -  
 $a_1 a_2 a_3 \dots a_q$  ( : -  
 $a -$   $0 \dots 99, q -$   $Gz(V,D).$   $a_1$  : -  
 $i, a_2 -$   $j,$   $C_i$  : -  
 $: a_1 00 \dots 00,$   $C_{ij}$  : -  
 $a_1 a_2 00 \dots 00$  : -  
 $Gz(V,D)$   $Gzb(V,D)$  : -  
 $A(a_{ij})_{N \times (N-1)}$  : -

$$V(C) \quad Gz(V, D) \quad , \quad -$$

:

$$V(C) = \{C_0, C_i, C_{ij}, C_{ijk}, C_{ijkl}, AM, SM, PM, IM, LZ, \\ AM_i, SM_i, PM_i, IM_i, LZ_i, AM_{ij}, SM_{ij}, PM_{ij}, IM_{ij}, LZ_{ij}, \\ AM_{ijk}, SM_{ijk}, PM_{ijk}, IM_{ijk}, LZ_{ijk}, AM_{ijkl}, SM_{ijkl}, PM_{ijkl}, IM_{ijkl}, LZ_{ijkl}\}$$

$$AM, AM_i, AM_{ij}, AM_{ijk}, AM_{ijkl} \quad - \\ ; SM \quad \dots \quad - \\ ; PM \quad \dots \quad - \\ ; IM \quad \dots \quad - \\ ; LZ, LZ_i, LZ_{ij}, LZ_{ijk}, LZ_{ijkl} \quad -$$

$$E \quad Ge(E, W) \quad ( \quad )$$

:

$$E = \{E_0, E_m, E_{mn}, E_{mnp}, E_{mnpqr}, \dots\}$$

$$V(C) \times E = \{V_m(C), E_k\} \quad ( \quad -$$

(6) – (14)).

(6)

$$( \quad ) \quad VtR_{e,q}( \quad ) \quad : \quad VtM_{e,q}( \quad ),$$

$VtPKV_{e,q}( \quad )$ :

$$Vt_e( \quad ) = \sum_q (VtR_{e,q}( \quad ) + Vt_{e,q}( \quad ) + VtPKV_{e,q}( \quad )) + \Delta Vt_e( \quad ), \quad q \in Q( \quad, E), \quad (6)$$

$$VtR_{e,q}( \quad ) = TR_{e,q}( \quad ) \cdot Q( \quad ), \quad (7)$$

$$TR_{e,q}( \quad ) = TR_{e,q}^a( \quad ) \cdot (R_{e,q}( \quad )) \cdot (R_{e,q}( \quad ))^{-1} (R_{e,q}( \quad )), \quad (8)$$

$$Vt_{e,q}( \quad ) = \sum_p ( ( \quad_{e,q,p} ) \cdot ( \quad_p ) ), \quad p = \overline{1, P_M}, \quad (9)$$

$$VtPKV_{e,q}(C) = \sum_n ( (PKV_{e,q,n}) \cdot (PKV_n) ), \quad n = \overline{1, N_{PKV}}, \quad (10)$$

$$\Delta Vt(C) = \sum_{n=1}^{d(C)-1} (Vt(C_n)), \quad (11)$$

$$\Delta Vt(C) = 0, \quad - \quad Gi(V, D), \\ d(C) = 1.$$

$$K( \quad ) = f( \quad ) = \frac{b^{*2} - a^{*2} + n^{*2} - m^{*2} + b^* \cdot n^* - a^* \cdot m^*}{(b^* - a^* + n^* - m^*)}, \\ q = \{a, m, n, b\} \xrightarrow{f} \{a^*, m^*, n^*, b^*\}, \quad (12) \\ q^* = \exp(\alpha(q - C^\alpha) \cdot 10^{-2}),$$

$$K(C) = \varphi(C) = \frac{d^{*2} - c^{*2} + s^{*2} - p^{*2} + d^* \cdot n^* - c^* \cdot p^*}{(d^* - c^* + s^* - p^*)},$$

$$g = \{c, p, s, d\} \xrightarrow{\varphi} g^* = \{c^*, p^*, s^*, d^*\}, \quad (13)$$

$$g^* = \left( \frac{1 - K(C)}{1 - K(C)} \right)^g.$$

$$Q(C) = ZP(C) \cdot (1 + \delta) + (C) \cdot (1 + \delta) (C) \cdot (1 + \delta) (C), \quad (14)$$

$$K = \frac{TR_{e,q}^0}{TR_{e,q}^+}, \quad (15)$$

$$V(C); e - \quad , \quad E; d -$$

$$Gz(V, D), \quad ($$

$$\deg(C) = d(C) - \quad Gz(V, D), \quad .$$

(6) - (14)

$$Vt_e( ), VtR_{e,q}( ), Vt_{e,q}( ), VtPKV_{e,q}(C), TR_{e,q}( ), TR_{e,q}^a( ), Q( ),$$

$$(R_{e,q}( )), (R_{E,q}( )), (R_{e,q}( )), (e,q,p), (p), (PKV_{e,q,n}),$$

$$(PKV_n).$$

$$Vt_e( ) -$$

$$( ) ( ) , \quad \{R_{e,q}\};$$

$$VtR_{e,q}(C) - \quad R_{e,q}$$

$$(q - ( ) E (C));$$

$$TR_{e,q}(C), TR_{e,q}^a( ) - ( ) R_{e,q}$$

$$C, - C ;$$

$$Q(C) - -$$

$$- C ;$$

$$Vt_{e,q}( ) VtPKV_{e,q}( ) - -$$

$$, \quad R_{e,q}(C) ;$$

$$(e,q,p) (p) - \quad p, -$$

$$R_{e,q}(C)$$

$$(p = \overline{1, P_M}, P_M - ,$$

$$R_{E,q}(C);$$

$$(PKV_{e,q,n}) (PKV_n) - \quad n, -$$

$$R_{e,q}(C) \quad (n = \overline{1, N_{PKV}},$$

$$N_{PKV} - , \quad R_{e,q}(C)).$$

$$(R_{e,q}( )) -$$

$$C - , \quad R_{e,q}(C);$$

$(R_{e,q}(C)) -$   $R_{e,q}(C);$   
 $(R_{e,q}(C)) -$   $R_{e,q}(C)$   
 $q,$   
 $Q(C, e) = (q_1, q_2, \dots, q_{N_c}).$   
 $E,$   $Q(C, e),$   
 $< 1,$   
 $C_i, ij, ijk,$   
 $(= 1).$

$$(15) \quad TR_{e,q}^0 - R_{e,q} - ; TR_{e,q}^+ - R_{e,q}$$

$\{V_m(C), E_k\}$  (6) – (15):

1)  $C = C_i (e = AV ($   
 $VtR_{e,q}(C) : VtR_{AV,0q}(C_i).$   
 $VtR_{AV,0q}(C_i) : q-$   
 $Q(C_i, AV) C_i$   
 $;$   
 $q \in Q(C_i, AO) - q ;$   
 $R_{AV,0q}(C_i)$   
 $C_i.$

$: TR_{e,q}(C) \Rightarrow TR_{AV,0q}(C_i), Vt_{e,q}(C) \Rightarrow Vt_{AV,0q}(C_i),$   
 $VtPKV_{e,q}(C) \Rightarrow VtPKV_{AV,0q}(C_i), Vt_{e,q}(C) \Rightarrow Vt_{AV,0q}(C_i).$   
 $Q(C), K(R_{e,q}(C)), K(R_{e,q}(C)),$

$K(R_{e,q}(C)) ;$   
 2)  $C = (E = AV ($   
 $),$   
 $VtR_{AV,0q}( ), TR_{AV,0q}( ), Vt_{AV,0q}( ), VtPKV_{AV,0q}( ),$   
 $Vt_{AV,0q}( ), Vt_{AV,0q}( ), K(R_{AV,0q}( )), K(R_{AV,0q}( )),$   
 $K(R_{AV,0q}( )).$

$$V(C) \times E = \{V_m(C), E_k\}$$

1.

2.

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